Name	Jerny	
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Student Number _____

STA 302f 2015 Quiz 6

1. (5 points) Let the random vector $\mathbf{y} \sim N_p(\boldsymbol{\mu}, \boldsymbol{\Sigma})$, and $\mathbf{z} = \boldsymbol{\Sigma}^{-1/2}(\mathbf{y} - \boldsymbol{\mu})$. Using momentgenerating functions, derive the distribution of the random vector \mathbf{z} . Finish your answer with a *clear statement of the distribution of* \mathbf{z} .

$$M_{N-\mu}(t) = e^{-t'\mu} M_{N}(t) = e^{-t'\mu} e^{t'\mu + \frac{1}{2}t \leq t}$$
$$= e^{\frac{1}{2}t' \leq t}, \text{ and ser}$$

$$M = {}^{\prime \prime \prime} (M - M) {}^{\prime \prime} = M_{\eta - M} (\Xi^{- \prime \prime \prime} t)$$

$$= e^{\frac{1}{2} (\Xi^{- \prime \prime \prime} t)} \Xi (\Xi^{- \prime \prime \prime} t)$$

$$= e^{\frac{1}{2} (\Xi^{- \prime \prime \prime} \Xi \Xi^{- \prime \prime \prime} t)} \Xi (\Xi^{- \prime \prime \prime} t)$$

$$= e^{\frac{1}{2} t} (\Xi^{- \prime \prime \prime} \Xi \Sigma^{- \prime \prime \prime} t)$$

$$= e^{\frac{1}{2} t} (\Xi^{- \prime \prime \prime} \Xi^{\prime \prime} t) (\Xi^{\prime \prime} \Xi^{- \prime \prime} t)$$

$$= e^{\frac{1}{2} t} t$$

$$M = V (0, I_{P})$$

- 2. (5 points) In homework, you used R to estimate the regression coefficients for the statclass data.
 - (a) Write $\hat{\beta}_0$, $\hat{\beta}_1$, $\hat{\beta}_2$ and $\hat{\beta}_3$ in the space below. Copy the numbers from your printout.

$$\hat{\beta} = 9.14, \hat{\beta} = 5.87, \hat{\beta} = -2.93, \hat{\beta} = 2.23$$

(b) What is the predicted final exam score for a student with a Quiz Average of 8, a Computer Average of 4, and a Midterm score of 90? Show a little work.

$$9.14 + (5.87)(8) + (-2.93)(4) + @(0.32)(90) = 73.58$$

(c) Circle $\hat{\beta}_2$ on your printout, and write " $\hat{\beta}_2$ " beside it. Attach the *complete* printout to your quiz Make sure your name and student number are written clearly on the printout.